Stage 1 – Desired Results		
Content Standard(s):		
<ul> <li>Stage 1 – Desired Results</li> <li>Content Standard(s): <ul> <li>HSS.ID.A.4 Use the mean and standard deviation of a data set to fit it to a normal distribution and to estimate population percentages. Recognize that there are data sets for which such a procedure is not appropriate. Use calculators, spreadsheets, and tables to estimate areas under the normal curve.</li> <li>HSS.CP.A.2 Understand that two events A and B are independent if the probability of A and B occurring together is the product of their probabilities, and use this characterization to determine if they are independent.</li> <li>HSS.CP.A.3 Understand the conditional probability of A given B as P(A and B)/P(B), and interpret independence of A and B as saying that the conditional probability of A given B is the same as the probability of A.</li> <li>HSS.CP.A.4 Construct and interpret two-way frequency tables of data when two categories are associated with each object being classified. Use the two-way table as a sample space to decide if events are independent and to approximate conditional probabilities. For example, collect data from a random sample of students in your school on their favorite subject among math, science, and English. Estimate the probability that a randomly selected student from your school will favor science given that the student is in tenth grade. Do the same for other subjects and compare the results.</li> <li>HSS.CP.A.5 Recognize and explain the concepts of conditional probability and independence in everyday language and everyday situations. For example, compare the chance of having lung cancer if you are a smoker with the chance of being a smoker if you have lung cancer.</li> <li>HSS.CP.A.5 Rind the conditional probability of A given B as the fraction of B's outcomes that also belong to A, and interpret the answer in terms of the model.</li> <li>HSS.CP.A.5 Reply the Addition Rule, P(A or B) = P(A) + P(B) - P(A and B), and interpret the answer in terms of the model.</li> </ul> </li> </ul>		
<ul> <li>HSS.CP.B.9 (+) Use permutations and combinations to compute probabilities of compound events and solve problems</li> </ul>		
<ul> <li>HSS-MD.A.1 - Define a random variable for a quantity of interest by assigning a numerical value to each event in a sample space; graph the corresponding probability distribution using the same graphical displays as for data distributions.</li> </ul>		
• HSS-MD.A.2 - Calculate the expected value of a random variable; interpret it as the mean of the probability distribution.		
• HSS-MD.A.3 - Develop a probability distribution for a random variable defined for a sample space in which theoretical probabilities can be calculated; find the expected value.		
• HSS-MD.A.4 - Develop a probability distribution for a random variable defined for a sample space in which probabilities are assigned empirically; find the expected		

<ul> <li>value.</li> <li>HSS-MD.B.5 - Weigh the possible outcomes of a decision by assigning probabilities to payoff values and finding expected values.</li> <li>HSS-MD.B.6 - Use probabilities to make fair decisions (e.g., drawing by lots, using a random number generator).</li> <li>HSS-MD.B.7 - Analyze decisions and strategies using probability concepts (e.g., product testing, medical testing, pulling a hockey goalie at the end of a game).</li> </ul>			
Understanding (s)/goals Students will understand:	<ul> <li>Essential Question(s):</li> <li>How likely is it to get a value this</li> </ul>		
<ul> <li>Given that variation may be random or not, conclusions are uncertain</li> </ul>	<ul> <li>Iarge just by chance?</li> <li>How can we anticipate patterns in the values of a statistic from one</li> </ul>		
<ul> <li>The normal distribution may be used to model variation.</li> </ul>	sample to another?		
<ul> <li>Probabilistic reasoning allows us to anticipate patterns in data.</li> </ul>			
Student objectives (outcomes):			
Students will be able to:			
<ul> <li>Distinguish between a parameter and a statistic.</li> </ul>			
• Create a sampling distribution using all possible samples from a small population.			
• Use the sampling distribution of a statistic to evaluate a claim about a parameter.			
<ul> <li>Distinguish among the distribution of a population, the distribution of a sample, and the sampling distribution of a statistic.</li> </ul>			
• Determine if a statistic is an unbiased estimator of a population parameter.			
• Describe the relationship between sample size and the variability of a statistic.			
• Calculate the mean and standard deviation of the sampling distribution of a sample proportion $\hat{p}$ and interpret the standard deviation.			
• Determine if the sampling distribution $\hat{p}$ of is approximately Normal.			
<ul> <li>If appropriate, use a Normal distribut</li> <li> <u> <u> </u></u></li></ul>	<ul> <li>If appropriate, use a Normal distribution to calculate probabilities involving p̂ or <sup>n</sup><sub>1</sub> - n̂<sub>2</sub> </li> </ul>		
<ul> <li>Calculate the mean and the standard deviation of the sampling distribution of a difference in sample proportions and interpret the standard deviation.</li> </ul>			
• Determine if the sampling distribution of $\hat{p}_1 - \hat{p}_2$ is approximately Normal.			
<ul> <li>If appropriate, use a Normal distribution to calculate probabilities involving p̂ or p̂<sub>1</sub> - p̂<sub>2</sub>.</li> </ul>			
<ul> <li>Calculate the mean and standard deviation of the sampling distribution of a sample mean x and interpret the standard deviation</li> </ul>			
<ul> <li>Explain how the shape of the sampling distribution of x is affected by the shape of the population distribution and the sample size.</li> </ul>			
• If appropriate, use a Normal distribution to calculate probabilities involving $\overline{x}$ or			
<ul> <li>X1 - X2.</li> <li>Calculate the mean and the standard</li> </ul>	deviation of the sampling distribution of a		
difference in sample means $\overline{x}_1 - \overline{x}_2$ and	d interpret the standard deviation.		
• Determine if the sampling distribution of $\overline{x}_1 - \overline{x}_2$ is approximately Normal.			
If appropriate, use a Normal distribut	ion to calculate probabilities involving $\overline{x}$ or		
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$\overline{\mathbf{x}}_1 - \overline{\mathbf{x}}_2$		
Stage 2 – Assessment Evidence		
Performance Task(s):	Other Evidence: •	
Stag	ge 3 – Learning Plan	
Learning Activities:		