## UbD: Geometry - Probability

| Time Frame: 11 Lessons | Unit 8: Conditional Probability | Course Name: Geometry |
| :---: | :---: | :---: |
| Stage 1: Desired Results |  |  |
| Established Goal(s) | Transferable Skills |  |
| Standards Addressed: <br> HSS-CP.A. 1 Describe events as subsets of a sample space (the set of outcomes) using characteristics (or categories) of the outcomes, or as unions, intersections, or complements of other events ("or," "and", "not"). HSS-CP.A. 2 Understand that two events $A$ and $B$ are independent if the probability of $A$ and $B$ occurring together is the product of their probabilities, and use this characterization to determine if they are independent. | Students will be able to independently use their learning to... <br> - understand and evaluate random processes underlying statistical experiments <br> - make inferences and justify conclusions from sample surveys, experiments and observational studies <br> - understand independence and conditional probability and use them to interpret data <br> - use the rules of probability to compute probabilities of compound events in a uniform probability mode <br> - calculate expected values and use them to solve problems <br> - use probability to evaluate outcomes of decisions <br> - apply mathematical knowledge, skill, and reasoning to solve real-world problems. <br> - develop clear and effective communication. <br> - increase self-direction. <br> - develop creative and practical problem-solving. <br> - become responsible and involved citizens. <br> - develop informed and integrative thinking. |  |
| conditional probability of A given B as | Meaning |  |
| $P(A$ and $B) / P(B)$, and interpret the independence of $A$ and $B$ as saying that the conditional probability of $A$ given $B$ is the same as the probability of A , and the conditional probability of $B$ given $A$ is the same as the probability of $B$. <br> HSS-CP.A. 4 Construct and interpret two-way frequency tables of data when two categories are associated with each object being classified. Use the two-way table as a sample space to decide if events are independent and to approximate conditional probabilities. | Understandings <br> Students will understand that... <br> - math is a continuum, Algebra is needed for Geometry, and math concepts will build on themselves as we develop our mathematical understandings. <br> - chance experiments can not be solved absolutely. We can only look at the likelihood or probability that an event will occur given a certain sample space. <br> - knowledge of probability will allow students to be educated consumers of information in an uncertain world. <br> - there is independence and conditional probability and use them to interpret data. <br> - they can use the rules of probability to compute probabilities of compound events in a uniform probability model. | Essential Questions <br> - How can I use my knowledge of probability to make informed decisions about uncertain events? <br> - How can I collect and organize data to come to make reasonable predictions about real-life phenomena? |

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HSS-CP.A. 5 Recognize and explain the concepts of conditional probability and independence in everyday language and everyday situations. For example, compare the chance of having lung cancer if you are a smoker with the chance of being a smoker if you have lung cancer
HSS-CP.B. 6 Find the conditional probability of $A$ given $B$ as the fraction of B's outcomes that also belong to A , and interpret the answer in terms of the model.
HSS-CP.B. 7 Apply the Addition Rule, $P(A$ or $B)=P(A)+P(B)-P(A$ and $B)$, and interpret the answer in terms of the model.
HSS-ID.B. 5 Summarize categorical data for two categories in two-way frequency tables. Interpret relative frequencies in the context of the data (including joint, marginal, and conditional relative frequencies). Recognize possible associations and trends in the data.

- they can calculate expected values and use them to solve problems.


## Acquisition

Students will know...

- it is possible to find or estimate probability using a model or data from a chance experiment.
- attributes of a chance experiment and how to identify one.
- how to find the sample space for chance experiments.
- how to model situations using probability.
- how to use sample space to calculate probability.
- how to create organized lists, tables, and tree diagrams and use them to calculate probabilities.
- how to use information in a two-way table to find relative frequencies and estimate probability.
- how to use tables and Venn diagrams to represent sample spaces and to find probabilities.
- how to use the addition rule to find probabilities.
- how to estimate probabilities, including conditional probabilities, from two-way tables.
- how to use probabilities and conditional probabilities to decide if events are independent.
- how to define and correctly use the glossary terms: chance experiment, event, outcome, probability, sample space, addition rule, dependent events, independent events, and conditional probability.
- the addition rule can be used to find probabilities.
- that tables and Venn diagrams can be used to represent sample spaces and find probabilities.
- how to find the sample space for chance experiments.

Students will be able to...

- estimate probability using a model or data from a chance experiment.
- identify chance experiments.
- model situations using probability. I can use sample space to calculate probability.
- create organized lists, tables, and tree diagrams and use them to calculate probabilities.
- use information in a two-way table to find relative frequencies and estimate probability.
- estimate probabilities, including conditional probabilities, from two-way tables.
- estimate probabilities, including conditional probabilities, from two-way tables.
- define and use geometry-specific vocabulary words that were introduced in this unit.
Mathematical Practices:
- make sense of problems and persevere in solving them.
- reason abstractly and quantitatively.
- construct viable arguments and critique the reasoning of others.
- model with mathematics.
- use appropriate tools strategically.
- attend to precision.
- look for and make use of structure.
- look for and express regularity in repeated reasoning.

